

LECTURE 6: TETRAD ANALYSIS; GENE CONVERSION**Reading:** Ch. 5, p 142-151; Ch. 6, p 192-194**Problems:** Ch. 5, solved problem III, also 28a, 29ab, 30, 32, 34, 35; Ch. 6, #30, 31**TETRAD ANALYSIS IN FUNGI**

In the diploid organisms that we've considered so far, each individual represents only one of four potential gametes that are produced from each parent in a single meiotic event. We don't know which of the other progeny in the cross are created by gametes produced by the same meiotic event. So we have to analyze large numbers of progeny and use statistics to establish linkage (or lack thereof) and to do mapping. By contrast, some yeast species house all four products of a single meiosis in a sac called an **ascus**. The haploid cells are called **ascospores** (or **haplospores**) and can germinate and live in the haploid state, growing and dividing by mitosis. Thus, phenotype equals genotype in these haploid cells! We will review tetrad analysis in Baker's yeast, *Saccharomyces cerevisiae* first, then tetrad analysis in *Neurospora crassa*.

Life cycle of *Saccharomyces cerevisiae* (p. 144). The collection of four products of meiosis found in each ascus is called a **tetrad**.

Nomenclature conventions of *Saccharomyces cerevisiae*:

Capital letters indicate dominant alleles (e.g. *HIS4*, or sometimes just +)

Lower case letters indicate recessive alleles (e.g. *his4*)

Usually, the wild-type allele is the dominant one (e.g. *HIS4*⁺)

We characterize tetrads based upon the number of parental and recombinant spores they contain. Consider a cross between an a-mating type haploid yeast strain of genotype *HIS4 trp1* with an α -mating type haploid yeast strain of the opposite genotype *his4 TRP1*. These two genes are unlinked. What are the possible kinds of tetrads that result when the resulting diploid strain undergoes meiosis?

Parental ditype (PD): A tetrad containing 4 haploid cells of the parental class.

Nonparental ditype (NPD): A tetrad containing 4 recombinant haploid cells (the two parental classes have recombined to form the reciprocal nonparental combination of alleles).

Tetratype (T): A tetrad containing four kinds of haploid cells, two different parental class spores and two different recombinant class spores. In crosses involving 2 unlinked genes, tetratypes arise when a crossover occurs between one of the two genes and its centromere.

If PD = NPD, then the two genes are unlinked (either they are located on different chromosomes, or they are far apart on the same chromosome). Think independent assortment here (50% recombination frequency). Since all Ts (no matter how many) are 50% parental and 50% recombinant, then the only way that 50% of the total number of haploid progeny spores can be 50% recombinant is if the number of PDs (100% parental class) equals the number of NPDs (100% recombinant).

If PD >> NPD, then the two genes are linked. When PD >> NPD, the haploid spores of the parental class significantly outnumber the haploids of the recombinant class, a sign of linkage. Consider an example of two linked genes, *ARG3* and *URA2*.

P: $arg3\ ura2 \times ARG3\ URA2$
 Diploid: $arg3\ ura2 / ARG3\ URA2$

Meiotic products:

PD ($arg3\ ura2; arg3\ ura2; ARG3\ URA2; ARG3\ URA2$) = 127

NPD ($arg3\ URA2; arg3\ URA2; ARG3\ ura2; ARG3\ ura2$) = 3

T: ($arg3\ ura2; arg3\ URA2; ARG3\ ura2; ARG3\ URA2$) = 70

Recombination frequency, RF = $[(NPD + 1/2T) / \text{total number of tetrads}] \times 100$. In our example, this is $([3 + 1/2(70)]/200) \times 100 = 19$ map units. We will modify the equation to obtain a better estimate of map distance. If you draw out the possible crossover events between two linked genes, you can see the different tetrads that result; see Fig. 5.17 (p. 147).

No crossovers -----> PD
 Single crossover -----> T
 Double crossover (2-strand) -----> PD
 Double crossover (3-strand) -----> T
 Double crossover (3-strand) -----> T
 Double crossover (4-strand) -----> NPD

You can see how we can modify the equation to make it more accurate. Remember that half (2/4) the strands recombine if there is a single crossover event and that 4 strands recombine if there is a double crossover event (even if all of the strands don't participate, some participate more than once.)

Map distance = (total rec. events / total tetrads) x 100 = $[(1/2[SCO] + DCO) / \text{total tetrads}] \times 100$

Map distance = $([1/2 (T - 2\ NPD) + 4\ NPD] / \text{total tetrads}) \times 100$

Map distance = $(1/2\ T + 3\ NPD) / \text{total tetrads} \times 100$

For our example above, map distance = $([1/2 (70) + 3 (3)] / 200) \times 100 = 22$ map units

This modified equation makes 2 assumptions: (1) there are no more than two crossovers in the interval and (2) there is no chromosomal interference (all types of DCOs occur with equal frequency).